

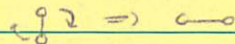
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
Kinetic Theory of Gases

Chpt 10 Test starts here!

• 3 types of motion

1) Translational Motion (a molecule goes A \rightarrow B)

2) Rotational Motion 

3) Vibrational Motion 

\rightarrow liquid & gases can do all 3 } natural E of the particle.

\rightarrow solids can only vibrate.

Kinetic Molecular Theory: ~~any gas~~ assume all gases are ideal gases.

• Ideal gas - any gas that conforms to the kinetic molecular theory.

[Main]

5 Points to Kinetic Molecular Theory

1) All gases consist of large #s of tiny particles

* ideal situation 2) All particles are in a constant state of motion.

3) All collisions between gas molecules are elastic collisions (\Rightarrow no KE is lost)

4) Assume there is NO forces of attraction between molecules.

5) KE of a gas particle (\Rightarrow its speed) is directly proportional to Kelvin Temp.

\rightarrow as temp $\uparrow \Rightarrow$ KE \uparrow .

04-03-06

• STP \Rightarrow standard temperature & pressure

(0°C [273°K], 1 atm [760 torr, or 760 mm Hg])

5 Major Properties of Gases

1) Gases are expandable

2) Gases are compressible

3) Diffusion \rightarrow gases can mix in the absence of air currents.

4) Fluidity \rightarrow gases molecules can glide past one another without attraction.

\hookrightarrow AKA pamable

5) Gases have a very low densities. - measured in $\frac{g}{L}$

• Real Gas - any gas that deviates from kinetic molecular theory.

\rightarrow most commonly caused by an attraction between gases.

ex. H_2O \uparrow [needs to be polar]

\rightarrow dipole interaction.

\rightarrow electronegativity differences.

- under high pressure & low temp \Rightarrow causes this.

Qualitative Description of Gases \rightarrow 4 variables

1) moles (n) \rightarrow # of particles

2) temperature (T) [avg. KE] \rightarrow MUST BE IN KELVIN! $K = C + 273$

3) volume (V) \rightarrow space occupied

4) pressure = $\frac{\text{force}}{\text{area}}$ = $\frac{\text{\# of collisions a gas makes}}{\text{wall of container}}$

April 5, 2006 Chemistry Notes Block E

4 variables -

① moles (n)

② Temp (T)

③ Volume (V)

④ Pressure = $\frac{\text{force}}{\text{area}}$

- # of collisions

- in units of mm Hg, torr, atm, and kPa

Qualitative Description of Gas Behavior -

① V vs. P @ constant $T + n$

- $V \downarrow$, $P \uparrow$ why? b/c in a smaller space, more gas molecules collide, thus $P \uparrow$. (inversely proportional)

② V vs. T @ constant $P + n$

- $T \uparrow$, $V \uparrow$ why? b/c particles are now moving faster, so gas will expand and occupy a larger V , in order to keep the same number of collisions. (directly proportional)

③ P vs. T @ constant $V + n$

- $T \uparrow$, $P \uparrow$ why? b/c particles moving faster b/c of $\uparrow T$ = more collisions so $P \uparrow$. (directly proportional)

④ n vs. V @ constant $P + T$

- $n \uparrow$, $V \uparrow$ why? b/c more gas occupies more space. (directly proportional)

⑤ n vs. P @ constant $T + V$

- $n \uparrow$, $P \uparrow$ why? b/c more gas in a confined V means more collisions so $P \uparrow$. (directly proportional)

Pressure Measurements -

1643 - Torricelli used Hg Barometer which measured atmospheric pressure.

- Standard $P = 760 \text{ mm Hg} = 760 \text{ torr} = 1 \text{ atm (atmosphere)} = 101.3 \text{ kPa}$

04-06-06

Standard Pressure = 760 mmHg = 760 torr = 1 atm = 101.3 kPa.

Quantitative Behavior of Gases

• V vs. P [constant T & n] \rightarrow Boyle

$V \uparrow \times 2 \Rightarrow P \downarrow \times \frac{1}{2}$ [a true inverse relationship]

$V_1 P_1 = K$
 $V_2 P_2 = K$ } not a true constant \rightarrow b/c of relationship to temperature.
 \rightarrow pressure is temperature dependent.

\Rightarrow if V changes, P changes to give same constant.

• if $K = K$ \rightarrow $V_1 P_1 = V_2 P_2$ \rightarrow Boyle's Law ***

Ex: If a 25.6 mL sample of N_2 has its pressure raised to 818 torr and occupies a new volume of 21.0 mL. What was the original pressure in atm?

$$V_1 = 25.6 \text{ mL}$$

$$P_1 = x \rightarrow \text{in atm.}$$

$$V_2 = 21.0 \text{ mL}$$

$$P_2 = 818 \text{ torr}$$

$$P_1 = \frac{V_2 P_2}{V_1}$$

$$= \frac{(21.0 \text{ mL})(818 \text{ torr})}{(25.6 \text{ mL})} = 671.02 \text{ torr}$$

* Make sure units cancel!

$$671.02 \text{ torr} \cdot \frac{1 \text{ atm}}{760 \text{ torr}} =$$

$$\boxed{0.883 \text{ atm.}}$$

$$1 \text{ atm} = 760 \text{ torr}$$

• V vs. T (at a constant P & n) \rightarrow directly proportional: $V \uparrow, T \uparrow$

\rightarrow Charles: if $T \uparrow$ by 1° ($^\circ\text{C}$ or K) $\Rightarrow V \uparrow$ by $\frac{1}{273}$

$$T_1 = KV_1 \Rightarrow K = \frac{T_1}{V_1}$$

$$T_2 = KV_2 \Rightarrow K = \frac{T_2}{V_2}$$

$$\frac{T_1}{V_1} = \frac{T_2}{V_2} \Rightarrow$$

$$\boxed{V_1 T_2 = V_2 T_1}$$

\rightarrow Charles' Law

*** temperature ALWAYS has to be in K

- b/c \rightarrow of the ratio of $\frac{1}{273}$

& b/c if $^\circ\text{C} \rightarrow$ could get negative volumes.

Ex: A gas @ STP has a volume of 6.78 L. What is the new volume of the gas when temperature changes to 80.0°C & P is constant.

$$V_1 = 6.78 \text{ L}$$

$$V_2 = x$$

$$\Rightarrow V_2 = \frac{V_1 T_2}{T_1}$$

$$T_1 = 0.00^\circ\text{C} \text{ (b/c of STP)} \rightarrow 273 \text{ K}$$

$$T_2 = 80.0^\circ\text{C} \rightarrow 353 \text{ K}$$

need to use Kelvin!!

$$= \frac{(6.78 \text{ L})(353 \text{ K})}{(273 \text{ K})} = \boxed{8.76 \text{ L}}$$

$$- \text{K} = 273 + ^\circ\text{C}$$

MAKE SURE TEMPS ARE IN KELVIN! DON'T CONFUSE WHERE TEMPS GO!

remember to rationalize answers as well

04-07-06

Gay-Lussac -- worked on P & T at constant n & V.

$\rightarrow 1.0^\circ \text{C} \rightarrow 1^\circ \text{C (or K)}, P \propto \frac{1}{273}$

[same as vol. w/ Charles' law]

$$\begin{aligned} T_1 &= KP_1 \Rightarrow \frac{P_1}{T_1} = \frac{P_2}{T_2} \Rightarrow \boxed{P_1 T_2 = P_2 T_1} \\ T_2 &= KP_2 \end{aligned}$$

\rightarrow Gay-Lussac's Law.

*** TEMPERATURE MUST BE IN KELVIN!

• Boyle's Law: $V_1 P_1 = V_2 P_2$ [temp. const & moles const.]

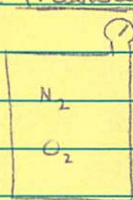
• Charles' Law: $V_1 T_2 = V_2 T_1$ [constant P & n]

• Gay-Lussac's Law: $P_1 T_2 = P_2 T_1$ [constant V & n]

Combined Gas Law: $\boxed{V_1 P_1 T_2 = V_2 P_2 T_1}$ ***

04-10-06

Partial Pressure



(?) \rightarrow 764 torr \rightarrow total pressure

ex. atmospheric pressure (pressure of all gases combined)

• at high P & low temp \rightarrow all gas particles behave the same [the kinetic-molecular theory]

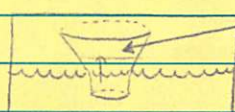
$$P_t = P_1 + P_2 + P_3 + \dots$$

Dalton's Law of Partial Pressures.

EX. $P_{O_2} \rightarrow 205 \text{ torr}$, $P_t \rightarrow 764 \text{ torr}$, $P_{N_2}?$

$$\Rightarrow P_{N_2} = P_t - P_{O_2} = 764 \text{ torr} - 205 \text{ torr} = 559 \text{ torr}$$

Water Vapor Pressure (WVP)



$\left. \begin{matrix} C_4H_{10} \\ H_2O \end{matrix} \right\}$ a wet gas \rightarrow bic has WVP

- dry gas \rightarrow a gas where WVP has been subtracted out.

EX. What P of dry Butane when 23.0 mL are collected at 732 torr & 22.0°C

• $P_t = 732 \text{ torr}$ [wet gas] (P 899 \rightarrow table of WVP)

• at 22.0°C \rightarrow WVP = 20.4 torr.

$$\Rightarrow P_{C_4H_{10}} = 732 \text{ torr} - 20.4 \text{ torr} = 711.6 \text{ torr}$$

EX (cont) \rightarrow when 23.0 mL of C₄H₁₀ via water displacement at 732 torr & 22.0°C, what is the vol. of the dry gas at STP?

[1st step above] \rightarrow use the combined Gas Law.

3 moles N₂
2 moles O₂

- solve for partial pressure of N₂ (gas particles don't discriminate)
- total 5 moles total $\rightarrow \frac{3}{5}$ gas is N₂ $\Rightarrow \frac{3}{5}$ of pressure is from N₂ $\Rightarrow \frac{3 \text{ moles } N_2 \cdot 764}{5 \text{ moles total}} = 458 \text{ torr}$